## CDF Report on $B_c$

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## • Observation of the *B<sub>c</sub>* Meson at CDF

- Introduction
- Selection
- Background
- Counting and significance
- Mass
- Lifetime
- Cross Section



- Only meson state with two different heavy quarks
  - Other quarkonia  $(J/y_{i})$ , etc.) decay via strong interaction.  $B_c$  Decays weakly
  - Unique production process
    - $gg \rightarrow B_c^+ + b + c$
  - Comparable timescales for decay of two heavy constituents
- Quarkonia described by Quark Potential models
  - **Opportunity to test with**  $B_c$
  - **Expect:** 
    - **Tightly bound:**  $f(B_c) \approx 400 \text{ MeV}$
    - Ground state mass predictions:
      6.1<M(B<sub>c</sub>)<6.5 GeV</li>



#### • Three dominant processes:

b decay:  $J/y p^+$ ,  $J/y D_s^+$ ,  $J/y \ell^+n$ 



c decay:  $B_s^0 p^+$ ,  $B_s^0 \ell^+ n$ 



- Annihilation:  $tn_{t}$ , ...
- Naïvely expect factorization to apply
  - $\Gamma = \Gamma_{b} + \Gamma_{c} + \Gamma_{bc}$ ; Expect  $\tau \sim 0.4 0.7$  ps
  - Bound-state effects may be large
  - **Eichten and Quigg predict**  $\tau$ ~1.3 ps



### • **Dominant process is** $gg \rightarrow B_c^+ b\bar{c}$

**Calculation requires 36 diagrams O**( $\alpha_s^4$ )



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- Tracking and lepton ID |η|<1</li>
- $\delta d_0 = (13+40/p_t) \mu m$  for  $z_0 < 25 \text{ cm}$
- $\sigma_{\text{beam}} = 25 \ \mu\text{m}, \ \sigma(z_0) = 25 \ \text{cm}$
- Datasets:

Run	Year	Integraed Luminosity	Typical Luminosity (x10 <sup>30</sup> cm <sup>-2</sup> s <sup>-1</sup> )	Mean Number Interactions
1A	92-93	19	1-5	1
1B	94-95	90	5-15	1-3



- Select opposite sign di-muon pairs with  $p_{TM} > 2 GeV$
- Muons satisfy hardware trigger selections
- $|M_{\rm mm}M_{\rm y}| < 50 \, MeV$
- 1 200k events



- J/y candidate constrained to known mass
- Third track in muon or electron fiducial region
- Opening angle between J/y and 3rd track < 90°</p>
- Common decay vertex: *Prob*(C<sup>2</sup>)>1%
- **Displacement**

$$ct^{*} \equiv \frac{M (J/y \ell) \cdot L_{xy} (J/y \ell)}{p_T (J/y \ell)} > 60 \text{ mm}$$



- Electron ID
  - Central calorimeter energy (E/p)
  - Had/EM
  - Track match and shower profile in shower-max proportional chamber
  - ı dE/dx
  - Remove conversion candidates





#### • Muon ID

- Penetrate 2nd layer filtering steel
- Segement in inner and outer chambers matched to track
- *⊾ p<sub>T</sub>*>**3** *GeV*, |h |<**0.6**





- Electron Channel
  - False Electron Background (Hadron misidentified as an electron).
  - **Real electrons from Photon Conversions and Dalitz decays**  $((p^{O} \rightarrow ge^{+}e^{-})$
  - BB-bar background

$$\begin{array}{cccc} B \longrightarrow J/y & + X \\ & & & \\ \hline B \longrightarrow m & +X \end{array} & mm \end{array}$$

- Muon Channel
  - **Kor Decay in flight.**
  - Mis-identification of p or K as a muon due to
    Punch through.

$$B \rightarrow J/y + X$$

#### BB-bar background



• Estimate residual component using MC procedure

- All tracks treated as charged pions and replaced with  $\pi^0$
- Determine ratio of found vs. missed conversion pairs:  $R_{conv} = 1.06 \pm 0.36$



 $1.2 \pm 0.9$  Events (4 - 6 GeV)



- Estimate backgound in electron-depleted samples
- Hadrons can shower early in calorimeter and mimic electrons
- ▲ Jet and Minimum bias trigger selections
- Correct for real electrons from conversions and heavy flavor using dE/dx:

$$f_m = \frac{N_e}{N_t} (1 - f_e)$$

**Two regions of electron isolation:** 

$$I = \sum_{\Delta R < 0.2} |\dot{p}| / E_T$$



• **Apply fake rate to** *J*/y + **track events** 

 $2.6 \pm 0.5$  Events (4 - 6 GeV)



## • Monte Carlo Study

- $B \to J/y X, \overline{B} \to X\ell n$
- I Use CLEO decay model (QQ)
- Normalize to  $B \rightarrow J/y K$
- Expect 1.2±0.5 Events





 $M (J/\psi + track) (GeV/c^2)$ 



- Full simulation of track reconstruction for B→J/y X events
- Fake-rate parameterized vs.  $p_T$
- *K*/p rates from dE/dx: *f*<sub>p</sub> = 0.56±0.04
- Expect 5.5 $\pm$ 1.4 events in 4<*M*(*J*/y m)<6 *GeV*





#### Punch-through Background

- Some hadrons can pass through calorimeter and filtering steel without interacting
- Calculate probability per track
  - Use measured absorbtion cross sections for  $K^+$ ,  $K^-$ ,  $p^-$
  - Account for energy loss in steel
  - Apply fake rate to J/y + track events: expect 0.9±0.4 events
- **BB** backgrounds as for *J/y e* 
  - 1 0.7±0.3 events







**Event Yields: 4<M(J/ψ ℓ)<6 GeV** 

	J/y <i>e</i> results	J/y m results
Misidentified leptons		
<b>False Electrons</b>	$2.6 \pm 0.05 \pm$	
	0.3	
Conversions	$1.2\pm0.8\pm0.4$	
Punch-through		$0.88 \pm 0.13 \pm 0.33$
Decay-in-flight		$5.5 \pm 0.5 \pm 1.3$
BB	$1.2\pm0.5$	$0.7 \pm 0.3$
<b>Total Background</b>	$5.0 \pm 1.1$	7.1 ± 1.5
<b>Events observed in data</b>	19	12
Net Signal	14.0	4.9
Combined	18.9	
P <sub>Counting</sub> (Null)	<b>2.1 x 10<sup>-5</sup></b>	0.084

#### N(B<sub>c</sub>)=18.9±5.6 Events



Check fake rate calclulations in orthogonal sample:

- **High-** $p_T$  **single lepton triggers**
- **Enrich** *b* **content** by requiring secondary vertex
- Same-sign leptons with  $M_{\ell\ell}$  <5 GeV are a sample of pure fakes





- •Simple counting neglects features of data
- ØDifferent shapes expected for signal and background ØExpected ratio of efficiencies for electron and muon

modes



- Construct likelihood fit
- Gaussian constraints for background normalizations
- Poisson constraints for shapes from J/ψ+track sample
- ▲ Gaussian constraint on relative signal yields
- ▶ Poisson constraint on number found conversions (2)
- ▲ Assume M(B<sub>c</sub>)=6.27 GeV
- **Binned**, normalized

•  $X^2 = -2 ln(L/L_0)$ 



#### $N(B_c) = 20.4^{+6.2}_{-5.5}$ Events





- Monte Carlo Procedure
  - **Samples with statistical properties similar to data**
  - Vary normalization of signal and backgrounds within measured uncertainties
  - Add yields and include Poisson fluctuations binby-bin
  - Fit using standard procedure
  - **5.9% of trials have** ξ<sup>2</sup>> 38.1



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- **Repeat Monte Carlo trials with no** *B<sub>c</sub>*
- Tests whether data can be described by background alone
- In 351900 Trials, none has a *B<sub>c</sub>* yield as large as 20.4
- Extrapolate to find probability of pure background fluctuation: 0.6×10<sup>-6</sup>





#### • Create templates for various masses

**Smooth with spline fit** 



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#### • Spline fit to background shapes

Unbinned likelihood fit





- Systematic Uncertainties
  - Feed-down from higher-mass charmonium:
    0.09 GeV
  - Fitting procedure (difference from binned fit):
    0.08 GeV
  - **Template Statistics: 0.04** GeV
  - Variation in *b*-quark spectrum: 0.02 GeV
  - **Dimuon trigger: 0.02** GeV

 $M(B_c) = 6.40 \pm 0.39 \pm 0.13 \ GeV/c^2$ 



- Release *ct*<sup>\*</sup> cut and fit in this variable
- **Require**  $4 < M(J/y \ \ell) < 6 \ GeV$
- $ct = L/bg = (M/p_T)L_{xy}$
- *"K*-factor" must be included to correct between observed mass and momentum to true value







- Weight J/ψ + track events using same procedures to determine backgrounds vs. ct<sup>\*</sup>
- Three components:
  - Prompt Gaussian peak
  - **Short exponential tail to negative lifetimes**
  - Long exponential tail to positive lifetimes

$$F^{j}(x) = (1 - f_{+}^{j} - f_{-}^{j})G(x;s\sigma)$$
$$+ \frac{f_{+}^{j}}{\lambda_{+}^{j}}\Theta(+x)\exp\left(-\frac{x}{\lambda_{+}^{j}}\right)G(x;s\sigma)$$
$$+ \frac{f_{-}^{j}}{\lambda_{-}^{j}}\Theta(-x)\exp\left(+\frac{x}{\lambda_{-}^{j}}\right)G(x;s\sigma)$$



#### • Combined fit





- Measure production rate relative to similar reference mode  $B^+ \rightarrow J/Y K^+$ 
  - I Identical selection procedure
  - Absolute normalization external to measurement
- Requires limited information
  - **Yield from fit**
  - **Relative efficiency vs.** *B<sub>c</sub>* lifetime
    - Exponential dependence
  - Correction for other modes
    - $y(2S)\ell n$ ,  $J/y D_s$ , J/y t
    - Correction factor 0.85±0.15
  - **Yield from**  $B^+ \rightarrow J/y K^+$  (290±19 Events)

 $\frac{\mathrm{S} (B_c^+) \cdot Br(B_c^+ \to J/\mathrm{y} \ \ell^+\mathrm{n})}{\mathrm{S} (B^+) \cdot Br(B^+ \to J/\mathrm{y} \ K^+)} = 0.132_{-0.037}^{+0.041} \pm 0.031_{-0.020}^{+0.032}$ 

Uncertainties: Statistical, Systematic and lifetime





#### Theory bands assume

- $\times V_{cb} = 0.041 \pm 0.005$
- ×  $\sigma(B_{c}^{+})/\sigma(b) = 1.3 \times 10^{-3}$
- $\times \sigma(B^+) / \sigma(b) = 0.378 \pm 0.022$
- × Br(B<sup>+</sup> $\rightarrow$ J/ $\psi$ K<sup>+</sup>)= 1.01 ±0.14) ×10<sup>-3</sup>



**Comparison with LEP Results** 

Experiment	final state (f.s.)	R(f.s.)
DELPHI	$J/\psi \pi^+$	< (0.9 to 0.7) (90% C.L.)
	$J/\psi \ell^+ v$	< (0.5 to 0.4) (90% C.L.)
	$\mathrm{J}/\psi~\pi^+~\pi^-~\pi^+$	< 1.5 (90% C.L.)
OPAL	$J/\psi \pi^+$	< 0.6 (90% C.L.)
	$J/\psi a_1^+$	< 0.3 (90% C.L.)
	$J/\psi \ell^+ \nu$	< 0.4 (90% C.L.)
ALEPH	$J/\psi \pi^+$	< 0.2 (90% C.L.)
	$J/\psi \ell^+ \nu$	< 0.3 (90% C.L.)
CDF	$J/\psi \pi^+$	< (0.15 to 0.04) (95% C.L.)
	$J/\psi \ell^+ \nu$	$0.132 \begin{array}{c} {}^{+0.041}_{-0.037} \pm 0.031 \begin{array}{c} {}^{+0.032}_{-0.020} \end{array}$

Note: The ranges quoted for DELPHI and for CDF in  $J/\psi \pi$  correspond to the assumed  $B_c$  lifetime range 0.4 to 1.4 ps.

# OPAL and DELPHI combined have 4 B<sub>c</sub><sup>+</sup>→J/y p<sup>+</sup> Candidates M=6.33±0.05 GeV

•  $\tau = 0.28^{+0.10}_{-0.20} ps$ 



• **CDF** has observed the *B<sub>c</sub>* 

- Significance over background >4.8σ
- $ct = 137^{+53}_{-49} \pm 9mn$
- $M(B_c) = 6.40 \pm 0.39 \pm 0.13 \ GeV/c^2$
- Production rate consistent with expectation
- $S \gg Br(B_c^+) / S \gg Br(B^+) = 0.132^{+0.060}_{-0.052}$
- **Expect** >40× increase in  $B_c$  yield for Run 2
- Prospects for Run II
  - The B<sub>c</sub> will be studied in the fully reconstructed modes.
    - Precise mass and lifetime measurements.